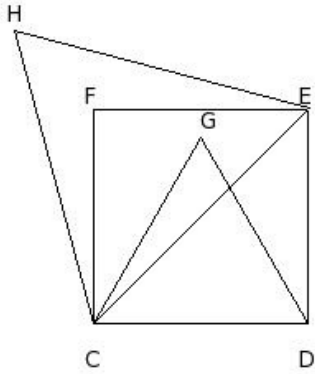


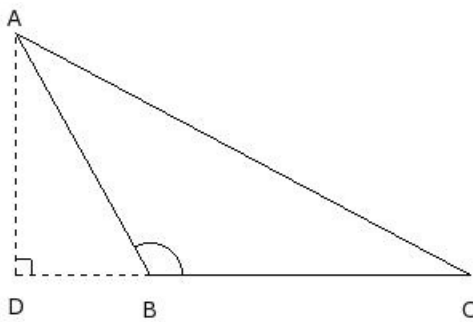


1. CDEF is a square and $\triangle CDG$ is an equilateral triangle. Also, $\triangle CEH$ is an equilateral triangle. If area of $\triangle CDG$ is 'a' sq.units, then the area of $\triangle CEH$ is



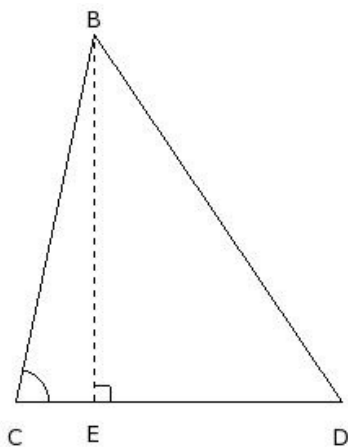
- (i) $\sqrt{3} a$ sq.units (ii) $\frac{1}{2} \sqrt{3} a$ sq.units (iii) a^2 sq.units (iv) $2a$ sq.units (v) $\frac{1}{2} a$ sq.units

2. In the given figure, $\triangle ABC$ is an obtuse angled triangle and $AD \perp BC$. Then



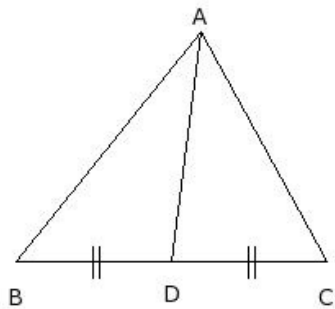
- (i) $AC^2 = AB^2 + BC^2 + 2AB \cdot BC$ (ii) $AC^2 = AB^2 + BC^2 + 2BC \cdot BD$ (iii) $AC^2 = AB^2 + BC^2 + BD^2$
 (iv) $AC^2 = AB^2 + BC^2 + 2BD \cdot CD$ (v) $AC^2 = AB^2 + BC^2 - 2BC \cdot BD$

3. In the given figure, $\triangle BCD$ is an acute angled triangle and $BE \perp CD$. Then



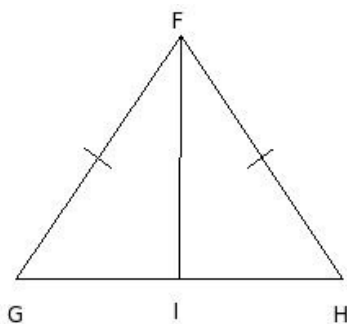
- (i) $BD^2 = BC^2 + CD^2 + 2CD \cdot CE$ (ii) $BD^2 = BC^2 + CD^2 + 2BC \cdot CD$ (iii) $BD^2 = BC^2 + CD^2 - BE^2$
 (iv) $BD^2 = BC^2 + CD^2 - 2CD \cdot CE$ (v) $BD^2 = BC^2 + CD^2 - 2BC \cdot CD$

4. In the given figure, $\triangle ABC$ is a triangle with AD being the median of BC. Then



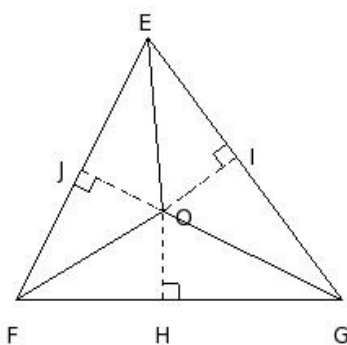
- (i) $AB^2 + AC^2 = AD^2$ (ii) $AB^2 + AC^2 = BC^2$ (iii) $AB^2 + AC^2 = 2BD^2 + 2DC^2$ (iv) $AB^2 + AC^2 = 2DC^2 + 2AD^2$
 (v) $AB^2 + AC^2 = 2BD^2 + 2AD^2$

5. In the given figure, $\triangle FGH$ is a triangle in which $FG = FH$ and I is a point on GH. Then



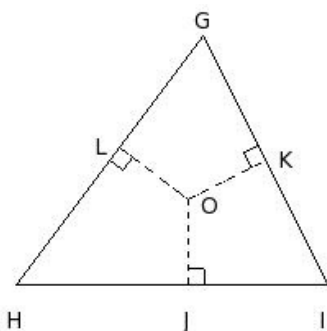
- (i) $FG^2 + FI^2 = GH^2$ (ii) $FG^2 - FI^2 = FI \cdot HI$ (iii) $FG^2 - FI^2 = GI \cdot HI$ (iv) $FG^2 - FI^2 = FI \cdot GI$ (v) $FG^2 + FI^2 = GI \cdot HI$

6. In the given figure, in $\triangle EFG$, 'O' is a point inside the triangle. $OH \perp FG$, $OI \perp EG$ and $OJ \perp EF$. Then



- (i) $EJ^2 + FH^2 + GI^2 = EF^2 + HG^2 + GE^2 - FJ^2 - GH^2 - IE^2$
 (ii) $EJ^2 + FH^2 + GI^2 = OE^2 + OF^2 + OG^2 + OH^2 + OI^2 + OJ^2$ (iii) $EJ^2 + FH^2 + GI^2 = OJ^2 + OI^2 + OH^2$
 (iv) $EJ^2 + FH^2 + GI^2 = OE^2 + OF^2 + OG^2 - OH^2 - OI^2 - OJ^2$

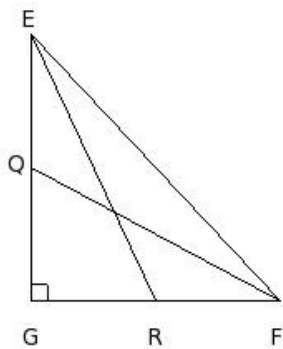
7. In the given figure, in $\triangle GHI$, 'O' is a point inside the triangle. $OJ \perp HI$, $OK \perp GI$ and $OL \perp GH$. Then



- (i) $GL^2 + HJ^2 + IK^2 = GK^2 + IJ^2 + HL^2$ (ii) $GL^2 + HJ^2 + IK^2 = OL \cdot OJ + OJ \cdot OK + OK \cdot OL$
 (iii) $GL^2 + HJ^2 + IK^2 = OG \cdot OH + OH \cdot OI + OI \cdot OG$ (iv) $GL^2 + HJ^2 + IK^2 = OJ^2 + OK^2 + OL^2$

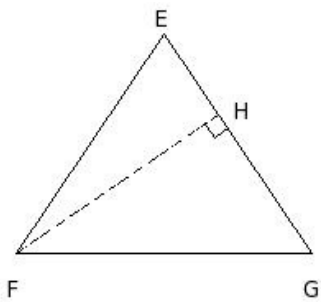
8. In the given figure, $\triangle EGF$ is right-angled at G . Q is the mid-point of EG and R is the mid-point of FG . Which of the following cases are true?

- a) $4 FQ^2 = 4 FG^2 + EG^2$
 b) $4 FQ^2 = 4 EG^2 + FG^2$
 c) $4 (ER^2 + FQ^2) = 5 EF^2$
 d) $4 ER^2 = 4 FG^2 + EG^2$
 e) $4 ER^2 = 4 EG^2 + FG^2$



- (i) {a,c,e} (ii) {b,d,e} (iii) {b,a,c} (iv) {b,a} (v) {d,c}

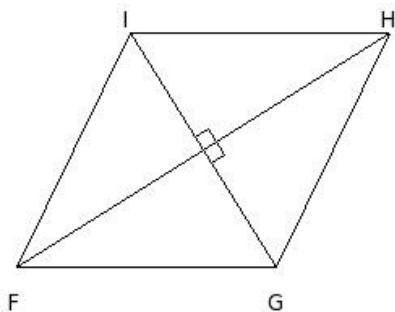
9. In the given figure, $\triangle EFG$ is isosceles with $EF = EG$ and $FH \perp EG$. Then



- (i) $FH^2 - GH^2 = 2GH \cdot EH$ (ii) $FH^2 + GH^2 = 2GH \cdot EH$ (iii) $FH^2 + EH^2 = 2GH \cdot EH$ (iv) $FH^2 - EH^2 = 2GH \cdot EH$

10. In the given figure, $FGHI$ is a rhombus. Which of the following are true?

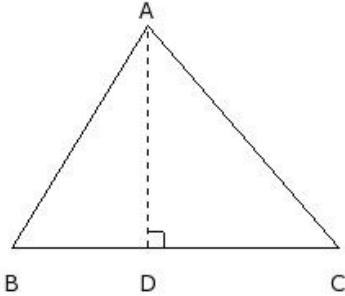
- a) $GH^2 + HI^2 = GI^2$
 b) $2 FG^2 = FH^2 + GI^2$
 c) $FG^2 + GH^2 = FH^2$
 d) $4 FG^2 = FH^2 + GI^2$
 e) $FG^2 + GH^2 + HI^2 + FI^2 = FH^2 + GI^2$



- (i) {d,e} (ii) {b,e} (iii) {b,e,d} (iv) {c,a,d} (v) {a,d}

11. In the given figure, $\triangle ABC$, $AD \perp BC$. Which of the following are true?

- a) $AB^2 + BD^2 = AC^2 + CD^2$
- b) $AB^2 - AC^2 = BD^2 - CD^2$
- c) $AD^2 = 2BD \cdot CD$
- d) $AB^2 + AC^2 = BD^2 + CD^2$
- e) $AB^2 - BD^2 = AC^2 - CD^2$

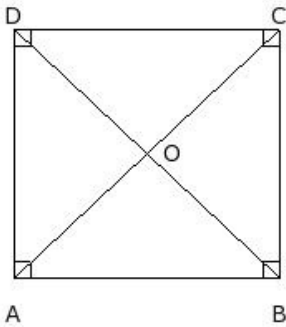


- (i) {c,e} (ii) {d,a,b} (iii) {c,e,b} (iv) {a,b} (v) {b,e}

12. The altitude and area of an equilateral triangle of side 'a' is

- (i) $\sqrt{3} a, \frac{1}{2} \sqrt{3} a$ (ii) $\frac{1}{2} \sqrt{3} a, \frac{1}{2} \sqrt{3} a^2$ (iii) $\sqrt{3} a, \frac{1}{2} \sqrt{3} a^2$ (iv) $\frac{1}{2} \sqrt{3} a, \frac{1}{4} \sqrt{3} a^2$

13. In the given figure, O is a point in the interior of the rectangle ABCD. Then



- (i) $OA^2 + OB^2 + OC^2 + OD^2 = AB^2 + BC^2 + CD^2 + DA^2$ (ii) $OA^2 + OB^2 + OC^2 + OD^2 = AC^2 + BD^2$
- (iii) $OA^2 - OC^2 = OB^2 - OD^2$ (iv) $OA^2 + OC^2 = OB^2 + OD^2$

14. In the given figure, $\triangle BCD$, E is the mid-point of CD and $BF \perp CD$. Which of the following are true?

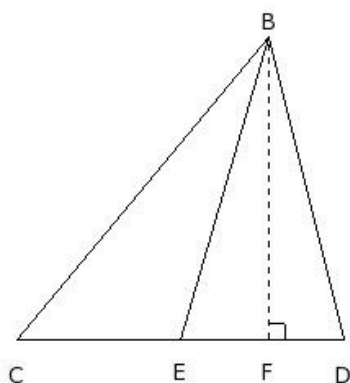
a) $BD^2 = BE^2 + CD \cdot EF + \frac{1}{4} CD^2$

b) $BC^2 = BE^2 - CD \cdot EF + \frac{1}{4} CD^2$

c) $BD^2 = BF^2 + CD \cdot EF + \frac{1}{4} CD^2$

d) $BC^2 + BD^2 = 2 BE^2 + \frac{1}{2} CD^2$

e) $BC^2 = BF^2 - CD \cdot EF + \frac{1}{4} CD^2$



- (i) {c,a} (ii) {c,a,b} (iii) {e,b} (iv) {a,b,d} (v) {c,e,d}

15. In the given figure, $\triangle BDC$ is right-angled at D, $DE \perp BC$.
 $BC = c, DC = a, BD = b$ and $DE = p$. Which of the following are true?

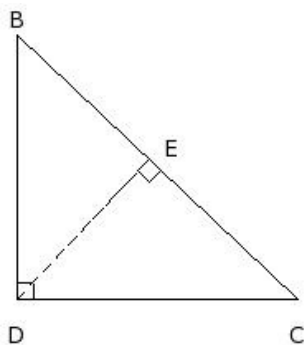
a) $\frac{1}{a^2} + \frac{1}{b^2} = \frac{1}{c^2} + \frac{1}{p^2}$

b) $\frac{1}{a^2} + \frac{1}{b^2} + \frac{1}{c^2} = \frac{1}{p^2}$

c) $a^2 + b^2 = c^2$

d) $ab = pc$

e) $\frac{1}{a^2} + \frac{1}{b^2} = \frac{1}{p^2}$

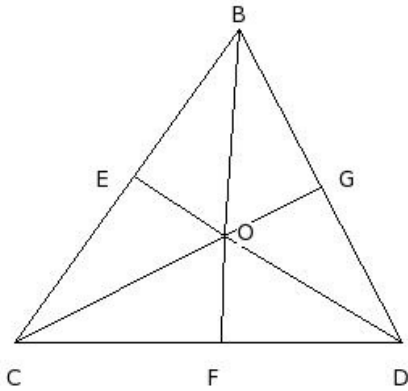


- (i) {a,c,d} (ii) {a,b,e} (iii) {a,c} (iv) {b,d} (v) {c,d,e}

16. In an equilateral triangle ABC, the side BC is trisected at D. Then

- (i) $9 AD^2 = 7 AB^2$ (ii) $7 AD^2 = 3 AB^2$ (iii) $7 AD^2 = 9 AB^2$ (iv) $3 AD^2 = 7 AB^2$

17. In the given figure, BCD is a triangle and 'O' is a point inside $\triangle BCD$. The angular bisector of $\angle COB$, $\angle DOC$ & $\angle BOD$ meet BC, CD & DB at E, F & G respectively . Then



- (i) $BE \cdot CF \cdot DG = EF \cdot FG \cdot GE$ (ii) $BE \cdot CF \cdot DG = BC \cdot CD \cdot DB$ (iii) $BE \cdot CF \cdot DG = OB \cdot OC \cdot OD$
 (iv) $BE \cdot CF \cdot DG = EC \cdot FD \cdot GB$ (v) $BE \cdot CF \cdot DG = OE \cdot OF \cdot OG$
18. A vehicle goes 10 km West and then 15 km North. How far is it from its starting point ?
 (i) 16.03 km (ii) 19.03 km (iii) 20.03 km (iv) 17.03 km (v) 18.03 km
19. The foot of a ladder resting on a wall from the foot of the wall is 15 m. If the height of the top of the ladder from ground is 10 m, find the length of the ladder
 (i) 20.03 m (ii) 18.03 m (iii) 19.03 m (iv) 17.03 m (v) 16.03 m
20. Two poles of heights 5 m and 17 m stand vertically on a plane ground. If the distance between their feet is 14 m, find the distance between their tops
 (i) 17.44 m (ii) 16.44 m (iii) 20.44 m (iv) 19.44 m (v) 18.44 m
21. A ladder reaches a window which is 8 m above the ground on one side of a street. Keeping its foot at the same point, the ladder is turned to the other side of the street to reach a window 14 m high. Find the width of the street if the length of the ladder is 19 m
 (i) 30.08 m (ii) 28.08 m (iii) 31.08 m (iv) 32.08 m (v) 29.08 m

Assignment Key

1) (iv)	2) (ii)	3) (iv)	4) (v)	5) (iii)	6) (iv)
7) (i)	8) (i)	9) (i)	10) (i)	11) (v)	12) (iv)
13) (iv)	14) (iv)	15) (v)	16) (i)	17) (iv)	18) (v)
19) (ii)	20) (v)	21) (i)			